



EASTERN UNIVERSITY, SRILANKA

DEPARTMENT OF MATHEMATICS

SPECIAL REPEAT EXAMINATION IN SCIENCE –2007/2008

THIRD YEAR, FIRST AND SECOND SEMESTER (Feb, 2010)

CS 301 – COMPUTER GRAPHICS

Answer all questions

Time allowed: 02 hours

Q1

a) Briefly describe the following :

- i. Raster-Scan Displays;
- ii. Random-Scan Displays.

b) Define the following terms:

- i. Modeling Coordinates;
- ii. World Coordinates;
- iii. Normalized Coordinates;
- iv. Device Coordinates.

c) Explain **DDA** (Digital Differential Analyzer) algorithm to generate straight lines.

d) Briefly explain Advantages and Disadvantages of above algorithm.

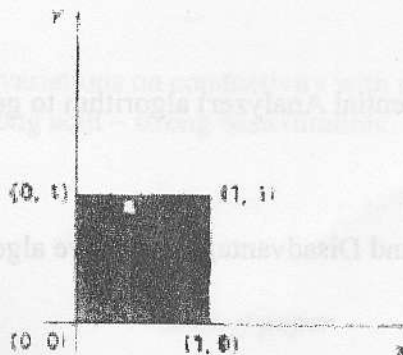
Q2

- a) Explain **Breshenham's** line drawing algorithm to generate straight lines with the slope less than one.
- b) Describe how you could use your algorithm to draw straight lines with all cases of slope.
- c) Illustrate **Breshenham's** line drawing algorithm for the line with endpoints (20, 10) and (30, 18).
- d) Using mid point circle algorithm compute successive points to plot in the display in order to draw the first quarter of the circle from $x=0$ to $x=y$ and radius $r=10$.

Q3

- a) Describe the **rotation** of a point about origin and arbitrary pivot point that would be useful in two dimensional graphics.
- b) Illustrate a two dimension transformation sequence to produce **rotating** an object about specified pivot point (x_r, y_r) using the scaling matrix $R(\alpha)$.

c)



Convert a unit square into a parallelogram by using composite transformation matrix with

$$S_1 = 1, S_2 = 2, \alpha = 45^\circ.$$

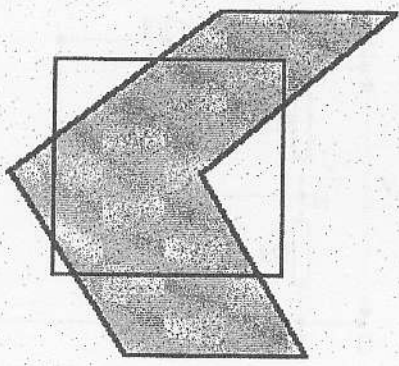
d) Briefly describe two dimensional **viewing transformation pipelines**.

Q4

a) What is meant by clipping in computer graphics and briefly explain the 3 clipping Primitive types.

b) Explain the **Cohen – Sutherland Line Clipping** algorithm.

c) Use the **Cohen – Sutherland Polygon Clipping** algorithm to clip the polygon given below.



d) Give the equation for three – dimensional rotation about z-axis by an angle θ .

e) Deduce the equations for rotations about x-axis and y-axis from the equations in part (d) by angles α and β , respectively.